## 3.1/3.4 Re-Teach Worksheet

Intermediate Algebra



- 3.1 I can demonstrate understanding about exponential functions and compare situations and equations for exponential functions to those for linear functions.
- 3.4 I can demonstrate understanding of the significant features of a graph of an exponential function and their relationship to real-world situations.

For each of the following problems identify the type of change as linear or exponential. Explain your reasoning.

1)

| $\mathcal{X}$ | l y  |
|---------------|------|
| 1             | 64   |
| 2             | 16   |
| 3             | 4    |
| 4             | 1    |
| 5             | 0.25 |

Circle One: Linear Exponential

Reasoning:

2)

|    | У  | х  |
|----|----|----|
| C  | 16 | -2 |
| Li | 19 | -1 |
|    | 22 | 0  |
| R  | 25 | 1  |
|    | 28 | 2  |

<u>Circle O</u>ne:

Linear Exponential

Reasoning:

+3

3) 
$$y = -\frac{5}{7}x - 4$$

4) 
$$y = (\frac{1}{3})^x - 8$$

$$5) f(x) = 7(6)^x + 2$$

Circle One: Linear Exponential

Circle One: Linear A Exponential

Circle One: Linear Exponential

Reasoning:

Reasoning:

Reasoning:

Xis not an Exponen +

X is Exponent

XIS Exponent

Graph is a straight Line

6) Each term in a sequence is exactly five greater than the previous term.

Circle One: Linear Exponential

Circle One: Linear / Exponential

Reasoning:

Reasoning: Multiply by .15
to find %s

## Intermediate Algebra

Given the following tables, create one linear and one exponential function. Justify your reasoning.

8) Linear Function:

| x  | y  |
|----|----|
| -1 | 8  |
| 0  | 12 |
| 1  | 16 |
| 2  | 20 |

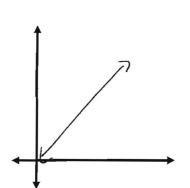
Explain:

| x  | У  |
|----|----|
| 4  | 3  |
| 6  | 6  |
| 8  | 15 |
| 10 | 24 |

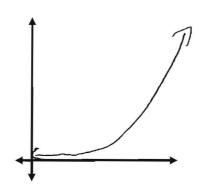
9) Exponential Function:

Explain: multiply by 2

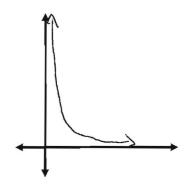
10) Draw a function that is linear.



11) Draw a function that shows exponential growth.



12) Draw a function that shows exponential decay.



13. To the right is the graph of the function  $f(x) = .5^x - 3$ . Draw and label the asymptote on the graph and identify the domain and range.

Domain:

Range:

Asymptote:  $\gamma = -3$ 

